# Finiteness of $\beta$-continued fractions over quadratic number fields 

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#### Abstract

We consider continued fractions with partial quotients in the ring of integers of a quadratic field as a generalization of $\beta$-continued fractions introduced by Bernat. We answer an open question of Bernat by proving that among quadratic Pisot units $\beta$, only the golden ratio $\frac{1+\sqrt{5}}{2}$ and the silver ratio $1+\sqrt{2}$ have the property that every element in $\mathbb{Q}(\beta)$ has a finite $\beta$-continued fraction expansion. This is a joint work with Z. Masáková and T. Vávra.


